



## Giant impacts on early Mars and the cessation of the Martian dynamo

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[1] Although Mars currently has no global dynamo-driven magnetic field, widespread crustal magnetization provides strong evidence that such a field existed in the past. The absence of magnetization in the younger large Noachian basins suggests that a dynamo operated early in Martian history but stopped in the mid-Noachian. Within a 100 Ma period, 15 giant impacts occurred coincident with the disappearance of the global magnetic field. Here we investigate a possible causal link between the giant impacts during the early and mid-Noachian and the cessation of the Martian dynamo at about the same time. Using three-dimensional spherical mantle convection models, we find that impact heating associated with the largest basins (diameters >2500 km) can cause the global heat flow at the core-mantle boundary to decrease significantly (10–40%). We suggest that such a reduction in core heat flow may have led to the cessation of the Martian dynamo.

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### 1. Introduction

[2] Mars currently has no global dynamo-driven magnetic field, but the existence of strong crustal fields due to remanent magnetization [Acuña *et al.*, 2001] indicates that a global field existed in the past. The absence of magnetization in the large basins Hellas and Argyre suggests that a dynamo operated during the early to mid-Noachian epoch, but stopped soon thereafter [Acuña *et al.*, 1999; *Arkani-Hamed and Boutin*, 2004].

[3] Recent simulations of the Martian dynamo indicate that it may have been in a subcritical regime early in Martian history [Kuang *et al.*, 2008]. A subcritical dynamo occurs in a fluid iron core that has insufficient thermal forcing to initiate convection and generate a magnetic field on its own, but can sustain convection in the presence of a preexisting magnetic field. In this situation, a decrease in CMB heat flow of as little as 1% can be sufficient to shut down the global magnetic field [Kuang *et al.*, 2008]. In order to restart the dynamo, the core dynamo must become supercritical, requiring an increase in heat flow of ~25% above the minimum needed to sustain the subcritical dynamo. Thus, if the dynamo fails once, it may not return even if the original core cooling rate is restored. Other studies suggest that the early Martian dynamo may have operated only in a single hemisphere as an effect of the formation of

the hemispheric dichotomy [Stanley *et al.*, 2008]. A single-hemisphere dynamo may explain the concentration of magnetization in the southern highlands, but does not address the presence of local regions of moderate magnetization in the north [Johnson and Phillips, 2005], or the timing of the dynamo's cessation.

[4] Observations of gravity and topography [Frey, 2008] indicate that 15 of the 20 giant (i.e., basins >1000 km in diameter) ancient Martian impacts occurred within a 100 Ma period, toward the end of which the global magnetic field disappeared [Lillis *et al.*, 2008a]. Further, the five unambiguously demagnetized basins are also the youngest of the 20. Utopia, perhaps the oldest of these demagnetized basins (see Figure 1), is also the largest and therefore has the greatest potential to affect the interior.

[5] These impacts have the potential to deliver significant amounts of heat to the mantle [Reese *et al.*, 2002; Monteux *et al.*, 2007; Watters *et al.*, 2009]. The cessation of the dynamo is usually attributed to a heat flow at the core-mantle boundary (CMB) that is too low to permit core convection [Nimmo and Stevenson, 2000]. Here we investigate a possible link between the giant impacts during the early and mid-Noachian and the cessation of the Martian dynamo at or about the same time. We determine the heating of the Martian mantle due to impactors [Watters *et al.*, 2009] that formed the twenty largest extant and buried impact basins with diameters greater than 1000 km [Frey, 2008]. At model times corresponding to the Hartmann-Neukum ages of the impact basins [Hartmann and Neukum, 2001; Frey, 2008] we introduce this impact heating into 3D spherical convection models [Zhong *et al.*, 2000; Tan *et al.*, 2006] of the Martian mantle. We then examine the effect of this heating on the CMB heat flow.

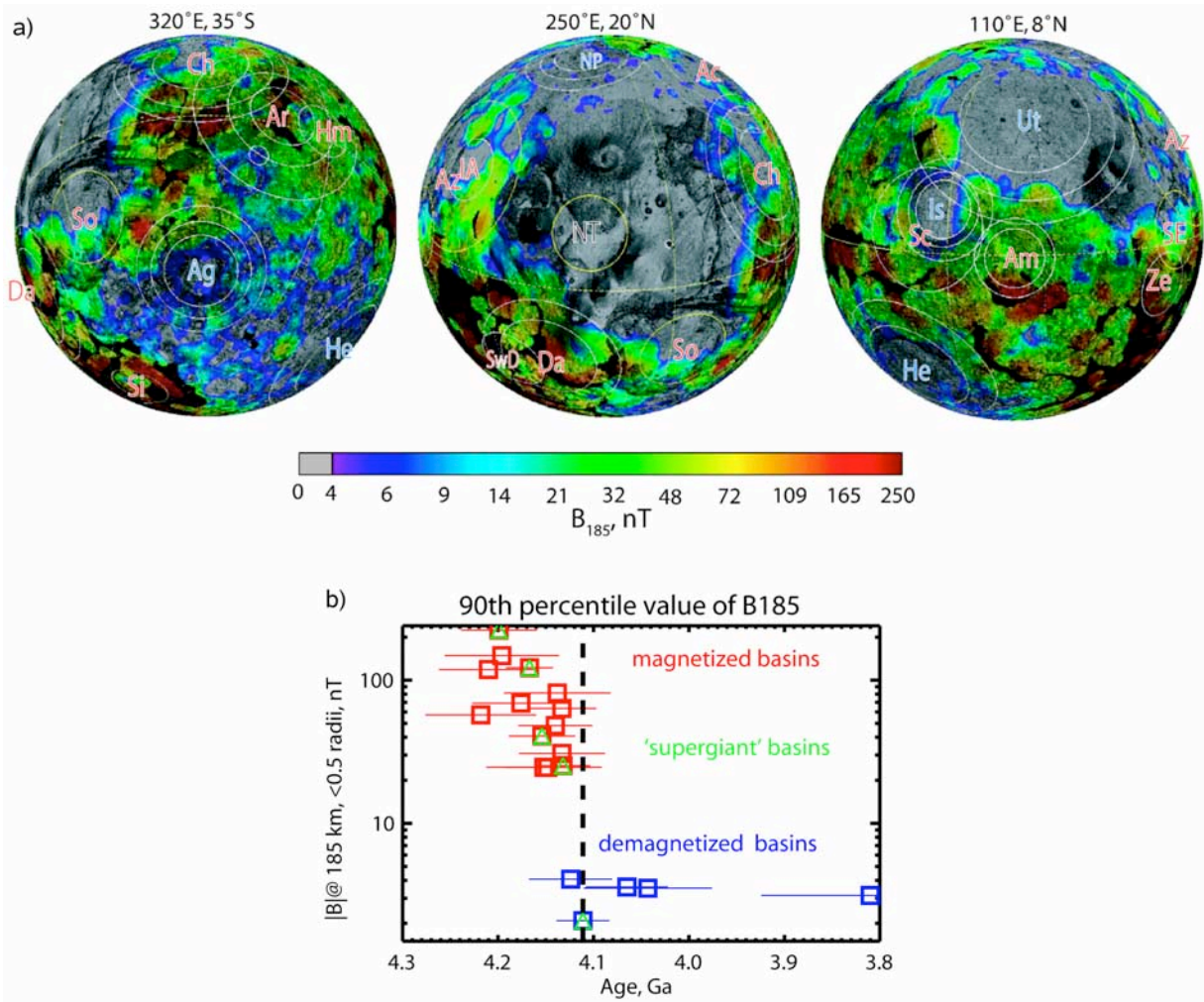
[6] First, we give a short background of the observations of the giant impact basins on Mars, their ages and magnetization states, and the early dynamo. Next, we describe our

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**Figure 1.** (a) Orthographic maps of crustal magnetic field magnitude at 185 km altitude (denoted  $B_{185}$ ; note logarithmic scale) overlaid on shaded MOLA topography, adapted from *Lillis et al.* [2008a]. The 20 largest basins identified in topographic and crustal thickness data are shown as white and yellow circles, respectively. Each ring in multiringed basins is shown. Demagnetized and magnetized basins are identified with blue and red lettering, respectively. (b) The 90th percentile of the distribution of  $0.5^\circ \times 0.5^\circ$  pixels of  $B_{185}$  inside 0.5 basin radii is plotted against absolute model ages [*Hartmann and Neukum*, 2001; *Frey*, 2008] for all identified basins except North Tharsis (thermally demagnetized). The five largest basins are also marked with green triangles. Note that the youngest basins (i.e., North Polar, Utopia, Hellas, Argyre, and Isidis) are the least magnetized.

methods for computing the mantle heating due to the impacts and our models of mantle convection incorporating this heating. In section 5, we present the results of our models for a range of mantle viscosities and radioactive heating rates, with particular attention to the spatial and temporal variation of the CMB heat flow. Finally, we discuss the implications of our results for the cessation of the Martian dynamo and the loss of the global magnetic field.

## 2. Giant Impacts

[7] Quasi-circular depressions (QCDs) identified in MOLA topography [*Frey et al.*, 2002] and circular thin-crust areas (CTAs) identified in crustal thickness maps [*Neumann et al.*, 2004] have been associated with both exposed and buried impact structures [*Frey et al.*, 2007; *Frey*, 2008]. The combined population of QCDs and CTAs

provides the best estimate available of the  $N(300)$  crater retention ages (CRAs) for large Martian basins [*Frey*, 2008].  $N(x)$  is the cumulative number of superimposed craters of diameter  $> x$  km per  $10^6$  km<sup>2</sup>. CRAs of the large basins show a strong clustering between  $N(300) = 2.5$  and 4.0 (or 4.1 and 4.2 Gyr in model age [*Hartmann and Neukum*, 2001]), implying a “peak” in crater production that may correspond to the Late Heavy Bombardment [*Gomes et al.*, 2005]. However, a recent study [*Arkani-Hamed*, 2009] notes that many of the giant impacts trace great circles that may correspond to paleoequators [*Arkani-Hamed*, 2001], and suggests that the impactors were initially retrograde satellites whose orbits decayed.

[8] We take from *Frey* [2008] the times, locations and sizes of the 20 largest impacts. These are summarized in Table 1 and in Figure 1. We have chosen the “primary” diameter  $D_{basin}$  for all multiring basins, defined by *Frey*

**Table 1.** Noachian Giant Impact Basins on Mars

Name	Abbreviation	Long. (°E)	Lat. (°N)	$D$ (km)	N(300)	Model Age (Ga)
Amenthes	Am	110.6	-0.9	1070	6.68	4.218
Zephyria	Ze	164.3	-12.4	1193	6.27	4.210
Daedalia	Da	228.3	-26.5	2639	5.70	4.199
Sirenum	Si	205.3	-67.4	1069	5.57	4.196
SW Daedalia	SW	213.9	-29.4	1278	4.68	4.176
Ares	Ar	343.9	4.0	3300	4.33	4.167
Amazonis	Az	187.9	27.1	2873	3.86	4.154
In Amazonis	IA	192.5	29.3	1156	3.81	4.152
Solis	So	275.3	-23.8	1663	3.68	4.148
N Tharsis	NT	243.6	17.6	1347	3.51	4.143
Chryse	Cr	318.0	25.0	1725	3.42	4.140
Hematite	Hm	357.8	3.2	1065	3.37	4.138
Scopolus	Sc	81.8	6.9	2250	3.24	4.133
SE Elysium	SE	170.3	3.7	1403	3.24	4.133
Acidalia	Ac	342.7	59.8	3087	3.21	4.132
North Polar	NP	195.2	80.0	1600	2.99	4.124
Utopia	Ut	115.5	45.0	3380	2.68	4.111
Hellas	He	66.4	-42.3	2070	1.78	4.065
Argyre	Ag	317.5	-49.0	1315	1.47	4.043
Isidis	Is	87.8	13.4	1352	0.17	3.810

[2008] as the clearest circular topographic feature, and therefore the most likely to reflect the transient cavity diameter  $D_{tr}$  immediately after impact before gravity-driven relaxation. We note that there remains some uncertainty in the  $D_{basin}/D_{tr}$  scaling [McKinnon *et al.*, 2003], particularly for large basins. This leads to uncertainty about the impactor size and the amount of heating deposited in the mantle. Melosh [2008] points out that the energy required to open a very large crater against gravity consumes a large fraction of the total available energy, and therefore scaling relations predict the ratio between  $D_{basin}$  and projectile size (and therefore  $D_{tr}$ ) decreases with increasing crater size. Additionally, recent hydrocode simulations indicate that large basins collapse less than most predictions (L. E. Senft and S. Stewart, Transiently weak faults drive impact crater collapse, submitted to *Nature*, 2008). For these reasons, we use the scaling of Holsapple [1993] with a relatively weak exponential dependence (S. Stewart, personal communication, 2008) in our models. The final and transient cavity diameters are related by

$$D_{basin} = 1.02D_c^{-0.086}D_{tr}^{1.086}, \quad (1)$$

where  $D_c$  is the simple-to-complex transition diameter [Holsapple, 1993], and is  $\sim 7$  km for Mars [Melosh, 1989]. Because of the aforementioned scaling uncertainty, we have also run a case using the relation of McKinnon and Schenk [1985], with a stronger exponential dependence of 1.13. We have also explored the extreme situation where  $D_{basin} = D_{tr}$ .

[9] We do not consider the effects of the putative Borealis basin-forming impact that may have been responsible for the hemispheric dichotomy [Andrews-Hanna *et al.*, 2008; Marinova *et al.*, 2008; Nimmo *et al.*, 2008]. The dichotomy is far older [Nimmo and Tanaka, 2005] than the basins in Table 1. The time between the dichotomy formation and the first impact that we study (Amenthes) is several mantle-crossing times, and we expect any lateral thermal anomalies due to such an event to have been erased. The Borealis impact, if it occurred, is therefore equivalent to a slightly warmer initial condition in our models.

[10] Immediately after a large impact, magnetized crust is excavated and the underlying material is shocked and heated, removing magnetization over an area approximately the size of the final basin diameter [Hood *et al.*, 2003] and throughout the entire depth of crust [Shahmas and Arkani-Hamed, 2007]. When the crust within the basin cools below the Curie temperature(s) of its magnetic mineral(s), it acquires a thermoremanent magnetization proportional to the strength of the ambient magnetic field [O'Reilly, 1984]. For the basins 1000 km in diameter and greater which we examine, the crustal magnetic field at 185 km ( $B_{185}$ ) [Lillis *et al.*, 2008b] serves as a reliable proxy for magnetization within the basin [Lillis *et al.*, 2008a], as shown in Figure 1. Note that  $B_{185}$  over the five youngest basins is at least an order of magnitude weaker than that over the older basins. Accounting for basin age uncertainty, this suggests that the dynamo-driven global magnetic field most likely ceased sometime between the Acidalia and Utopia impacts.

### 3. Impact Heating

[11] An impact sufficiently large to create and demagnetize the observed impact basins (see Figure 1) will introduce a substantial amount of heat into the interior of the planet. Neglecting the effects of planetary curvature, the basin and impactor diameters are related by

$$D_{imp} = 0.69D_{tr}^{1.27}g^{0.28}v_i^{-0.56}, \quad (2)$$

where  $g$  is the gravity and  $v_i$  is the impact velocity [Melosh, 1989], assuming the same density for both bodies. A significant fraction of the impactor's kinetic energy will be converted to thermal energy, raising the temperature of the surrounding mantle and melting a sizable region.

[12] We follow the method of Watters *et al.* [2009], in which the mantle is heated by a shock wave emanating from the impact location at a depth  $d_c = 0.305Rv_i^{0.361}$ , where  $R$  is the impactor radius and  $v_i$  is in km/s. Heating is uniform within an isobaric core with radius  $r_c = 0.451Rv_i^{0.211}$  and

**Table 2.** Global Parameters

Parameter	Symbol	Value
Reference density	$\rho_0$	3500 kg m <sup>-3</sup>
Gravitational acceleration	$g$	3.7 m s <sup>-2</sup>
Coefficient of thermal expansion	$\alpha$	$3 \times 10^{-5}$ K <sup>-1</sup>
Surface temperature	$T_{\text{surface}}$	220 K
CMB temperature	$T_{\text{CMB}}$	2220 K
Planetary radius	$R_0$	3400 km
Coefficient of thermal diffusion	$\kappa$	$10^{-6}$ m <sup>2</sup> s <sup>-1</sup>
Impact velocity	$v_i$	15 km s <sup>-1</sup>
	$C$	7.24 km s <sup>-1a</sup>
	$S$	1.25 <sup>a</sup>
Thermal conductivity	$k$	4.2 W m <sup>-1</sup> K <sup>-1</sup>

<sup>a</sup>Watters et al. [2009].

decays rapidly outside this region. For  $v_i = 15$  km/s as used in this study,  $d_c \approx r_c$ . We parameterize the impact heating as a temperature perturbation  $\Delta T$  in the mantle [Reese et al., 2002; Monteux et al., 2007; Watters et al., 2009], as a function of the shock pressure  $P_s$ :

$$\Delta T(P_s) = \frac{P_s}{2\rho_0 S} (1 - f^{-1}) - (C/S)^2 (f - \ln f - 1) \quad (3)$$

$$f = -\frac{2SP_s}{C^2\rho_0} \left( 1 - \sqrt{\frac{4SP_s}{C^2\rho_0} + 1} \right)^{-1} \quad (4)$$

where  $\rho_0$  is the background mantle density, and  $C$  and  $S$  are constants based on the mantle material properties, assuming a Tillotson equation of state [Melosh, 1989; Watters et al., 2009]. See Table 2 for parameter values. The shock pressure is defined [Watters et al., 2009] as

$$P_s(r) = \begin{cases} \rho_0(C + Su_c)u_c & r \leq r_c, \\ P_s(r_c)(r_c/r)^{-1.84+2.61 \log v_i} & r > r_c. \end{cases} \quad (5)$$

where the particle velocity  $u_c = v_i/2$ , when the target and impactor have the same density as assumed here. This temperature increase may result in a melt region several times the size of the isobaric core. However, convection is very efficient in a liquid, and the magma pond will solidify quickly compared to the dynamical time scale of the solid mantle. Therefore, again following Watters et al. [2009], we set the temperature in the mantle to the solidus temperature  $T_{\text{sol}}$  at all points where  $T + \Delta T$  exceeds this value. We parameterize the solidus as

$$T_{\text{sol}} = 1374\text{K} + 130\text{K GPa}^{-1}P - 5.6\text{K GPa}^{-2}P^2, \quad (6)$$

where  $P$  is the lithostatic pressure [Reese et al., 2002].

[13] Because we assume the magma pond solidifies quickly, we do not include the latent heat of fusion in our heating model, and assume that it escapes to space. In reality, partial melt may persist for longer times [Watters et al., 2009], resulting in a slow release of latent heat into the mantle. Therefore our results are a lower bound on the magnitude of the thermal perturbation resulting from impacts. We also assume the magma pond does not deform substantially. On sufficiently long time scales, the topography at the base of the melt region may relax, allowing the

buoyant magma to spread out into a global ocean [Tonks and Melosh, 1992; Reese and Solomatov, 2006]. However, this time scale is controlled by the viscosity of the surrounding mantle and is long compared to the circulation time of the magma. Furthermore, deformation of the melt zone could not have happened to a very large extent or the impact basin would have been erased.

#### 4. Convection Modeling

[14] We model thermal convection in the Martian mantle using the three-dimensional spherical finite element convection code CitcomS [Zhong et al., 2000; Tan et al., 2006]. Our model domain contains 1.8 million elements. We use a temperature- and pressure-dependent viscosity, and apply isothermal and free-slip boundary conditions at the surface and core-mantle boundary (CMB). Secular cooling of the core is included on the basis of the CMB heat flow; thus the CMB temperature drops over time. We assume an initially convecting mantle with an adiabatic interior and apply a small spherical harmonic degree 20 perturbation to the temperature field. We use the extended Boussinesq approximation [Christensen and Yuen, 1985] and included internal heating from radioactive decay [Wanke and Dreibus, 1994]. At the times indicated by the impact age model described above (and Table 1 of Frey [2008]), we apply an instantaneous temperature increase  $\Delta T$ , whose spatial distribution is defined by equation (3), centered on the location of the corresponding impact at depth  $d_c$ . Values for model parameters are given in Table 2.

[15] We have run a series of models in which we vary the convective vigor (parameterized by the Rayleigh number  $Ra$ ) and radioactive heating rate  $Q_0$ . Each model was run for  $\sim 3$  Ga, until well after the last large impact (Isidis) had occurred. In order to examine the effect the impacts have on the thermal evolution, we also ran a control case for each set of parameters in which the impact heating was not included. Model parameters specific to each case are given in Table 3.

#### 5. Results

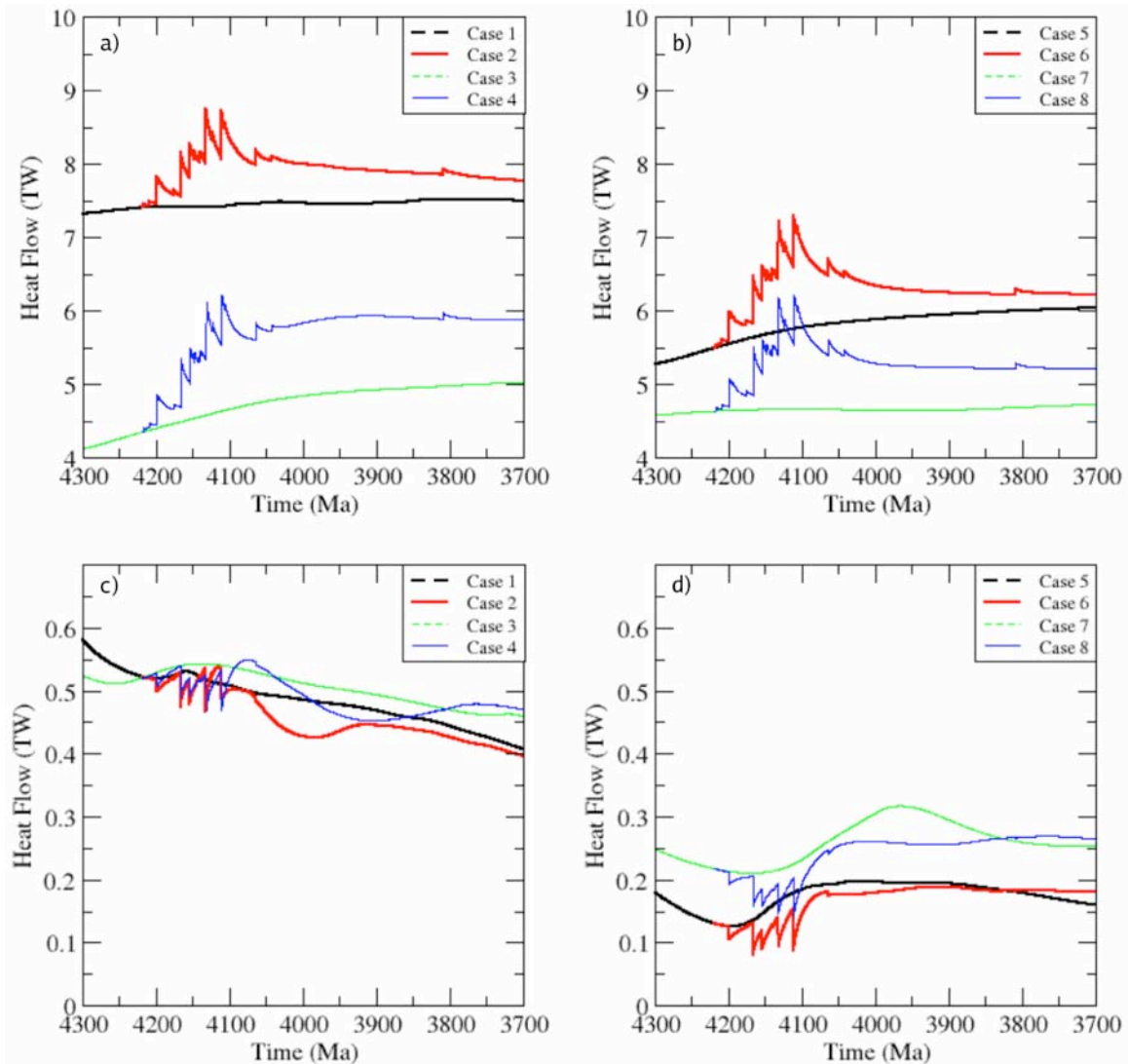
[16] The global surface and core-mantle boundary (CMB) heat flow for four pairs of models are plotted in Figures 2a–2d. While every impact causes a spike in surface heat flow, only the very largest impactors ( $D > 2500$  km) create a noticeable perturbation at the CMB. Only this group of “supergiant” impactors generate heated regions that are large enough to intersect or approach the CMB (see, e.g., Figures 6b and 7). The thermal perturbation dies off very quickly with distance from the isobaric core. Heating of the shallower mantle by the smaller impacts is not sufficient to dampen the global CMB heat flow significantly. The excess heat is advected to the surface and lost to space faster than the thermal perturbation can extend its influence downward. Supergiant impacts, however, can have a very strong impact on the CMB heat flow, reducing it by up to 10% for case 2 (Figure 2c) and by 40% for case 6 (Figure 2d) because of the lower background heat flux. These impacts have such a large effect because they can impart very large temperature changes at the bottom of the mantle, up to  $\sim 200$  K limited only by the mantle solidus. Because the mantle is in the stagnant lid regime, this is comparable to the temperature

**Table 3.** Model-Specific Parameters

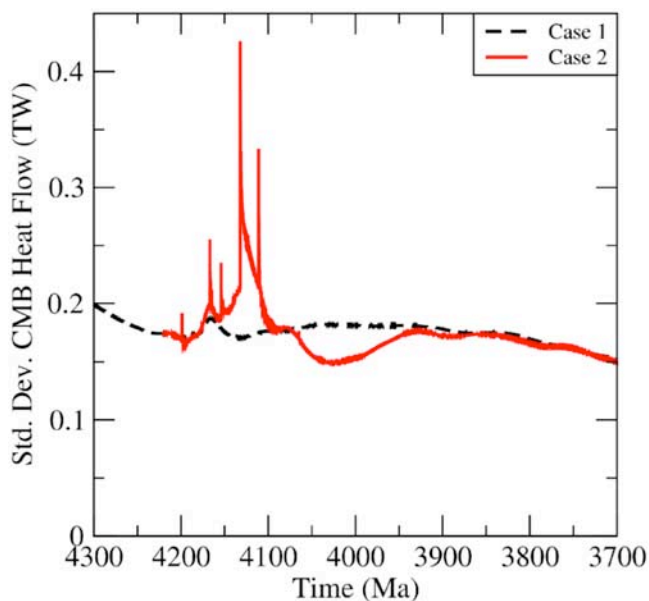
Case	$Ra$	$Q_0$ ( $\text{W m}^{-3}$ )	Impacts?	Scaling	$\delta F_{\text{CMB},U_i}$ (%)
1	$3.05 \times 10^7$	$6.2 \times 10^{-8}$	no	-	—
2	$3.05 \times 10^7$	$6.2 \times 10^{-8}$	yes	<i>Holsapple</i> [1993]	9.2
2a	$3.05 \times 10^7$	$6.2 \times 10^{-8}$	yes	<i>McKinnon and Schenk</i> [1985]	2.0
2b	$3.05 \times 10^7$	$6.2 \times 10^{-8}$	yes	none	248
3	$3.05 \times 10^7$	$3.1 \times 10^{-8}$	no	-	—
4	$3.05 \times 10^7$	$3.1 \times 10^{-8}$	yes	<i>Holsapple</i> [1993]	10.6
5	$6.1 \times 10^6$	$6.2 \times 10^{-8}$	no	-	—
6	$6.1 \times 10^6$	$6.2 \times 10^{-8}$	yes	<i>Holsapple</i> [1993]	43.0
7	$6.1 \times 10^6$	$3.1 \times 10^{-8}$	no	-	—
8	$6.1 \times 10^6$	$3.1 \times 10^{-8}$	yes	<i>Holsapple</i> [1993]	27.8

difference across the lower thermal boundary layer [*Jellinek et al.*, 2002], and thus has a large effect on the global CMB heat flow, even when only a portion of the deep mantle is substantially heated. Spatial variations in the heat flow due to an impact are also quite large. In Figure 3, we plot the

standard deviation of the heat flow for case 2. This is low during quiescent periods, but spikes whenever an impact occurs. Buoyancy resulting from the impact heating also drives very strong increases in velocity (Figure 4), as the warm material rises through the mantle.

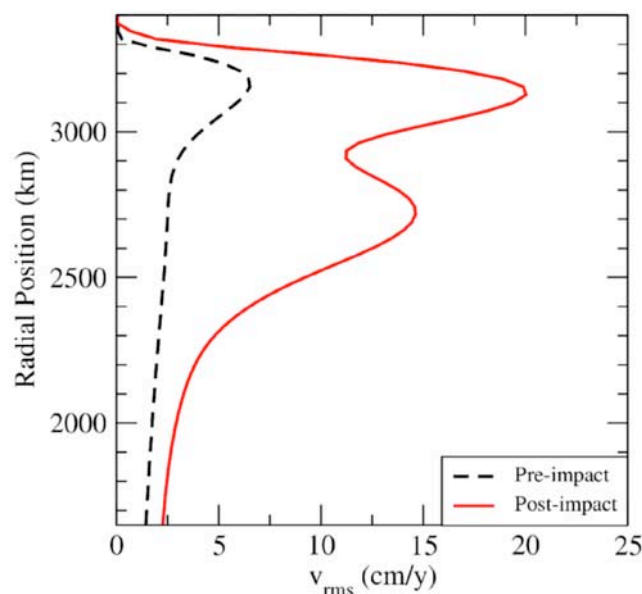


**Figure 2.** (a and b) Total global heat flow at the surface and (c and d) CMB versus time for cases 1–4 with  $Ra = 3.05 \times 10^7$  (Figures 2a and 2c) and cases 5–8 with  $Ra = 6.1 \times 10^6$  (Figures 2b and 2d). Each impact causes a strong perturbation to the surface heat flow. Relatively little heat is deposited at large depths. Only impactors forming basins  $>2500$  km in diameter cause a significant drop in the CMB heat flux, but these drops can be large ( $>10$ – $40\%$ ).

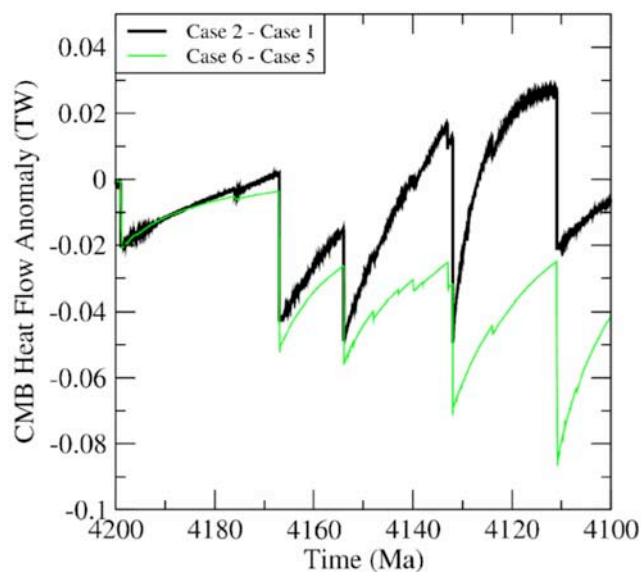


**Figure 3.** Standard deviation of spatial variation of CMB heat flow versus time for cases 1 and 2.

[17] The results for all cases with impacts (Table 3), are qualitatively similar to case 2. The heat flow is sharply reduced at the CMB, provided the impact is large enough to generate a significant temperature increase at that depth. The decrease in CMB heat flow due to the mantle heating outweighs any increase that may develop because of enhanced buoyancy caused by lateral temperature variations. The buoyancy may become important during the recovery period, when the CMB heat flow may temporarily attain a slightly higher value than the corresponding control case.  $Ra$  is an important control on the ability of the mantle to recover the preimpact cooling rate. Case 6 is identical to case 2 except for a factor of 5 reduction in  $Ra$ . Because convection is more sluggish, it takes longer to remove the



**Figure 4.** Horizontally averaged RMS velocity versus depth before and after the Utopia impact for case 2.

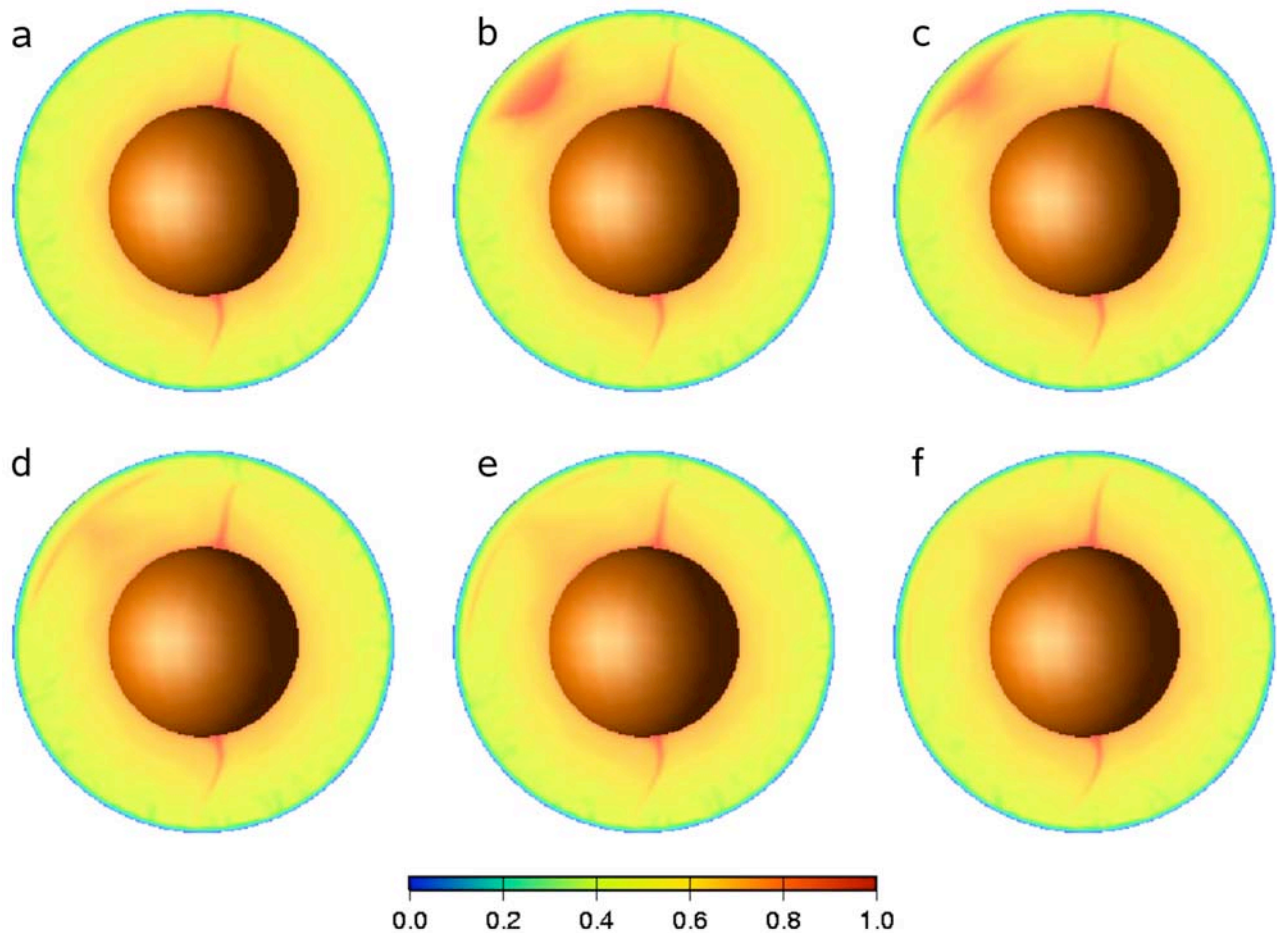


**Figure 5.** CMB heat flow anomalies for cases 2 and 6 relative to their respective reference cases 1 and 5 for the period of most intense bombardment. Impacts with  $D > 2500$  km are marked; see Table 1 for abbreviations. The more viscous mantle in case 6 cannot remove the impact heating as effectively as in case 2 and takes longer to restore the original heat flow.

impact heat and return the CMB heat flow to the preimpact value. In Figure 5, we plot the difference in CMB heat flow between cases 1 and 2 and between cases 5 and 6 for the period of most intense bombardment, 4.2–4.1 Ga. In case 2 (thick line), the heat flow anomaly returns to 0 on a time scale of  $\sim 30$  Ma, and may temporarily change sign because of the buoyancy of the deep heated material. In case 6 (thin line), the heat flow anomaly does not return to 0 before the next giant impact, and the anomalies from successive impacts accumulate. The fractional change in CMB heat flow due to the Utopia impact,  $\delta F_{C,Ut}$  for each case is given in the last column of Table 3.

[18] In addition to the substantial effect on the heat flow, impact heating can dominate the large-scale flow structure. Figure 6 shows 6 snapshots of the mantle temperature immediately before and up to 8 Ma after the Utopia impact (see auxiliary material Animation S1).<sup>1</sup> Figure 6a shows the preexisting pattern of thermal upwellings in a vertical slice through the center of Utopia. A temperature increase due to the impact is introduced (Figure 6b). The impact-heated region rises and spreads out beneath the lithosphere. The plume head spreads out beneath the stagnant lid, presenting a greater surface area to the cold lithosphere and begins to cool (Figures 6c–6e). The nearby preexisting upwelling is advected toward the deep warm impact-heated region, shifting the overall convective pattern (Figure 6f). Instabilities in the cold lid penetrate the cooling plume cap, reducing the surface heat flow, but the anomaly takes  $\sim 30$  Ma to fully dissipate.

<sup>1</sup>Auxiliary materials are available in the HTML. doi:10.1029/2008JE003287.



**Figure 6.** Evolution of nondimensional temperature field due to Utopia impact in case 2. Shown are cross sections through the impact site. (a) Preexisting upwellings. Ut  $- 1.9$  Ma. (b) Addition of thermal perturbation due to impact heating. Ut  $- 0$ . Impact heated material rises and spreads out beneath lithosphere. As plume cap cools, instabilities form in cold lid. Downwellings form. (c) Ut  $+ 0.3$  Ma. (d) Ut  $+ 1.7$  Ma. (e) Ut  $+ 4.2$  Ma. (f) Plume head fades; surface heat flow drops. Ut  $+ 7.8$  Ma.

[19] We have also explored the effect of the  $D_{basin} - D_{tr}$  scaling law on the impact heating. We repeated case 2 using the *McKinnon and Schenk* [1985] scaling and find that owing to the smaller transient cavity, the effect on the heat flow is reduced. This results in a Utopia anomaly of about 2%. This is still technically sufficient to shut off a subcritical dynamo, but requires a narrow range for the preimpact heat flow. In the case where the transient and final basin diameters are equal, we find much stronger impact heating. In this situation, the largest ( $D > 3000$  km) impacts may cause the global heat flow to change sign, heating the core from above, which should be sufficient to at least temporarily shut off even a supercritical dynamo. This difference in heating is illustrated in Figure 7, in which the temperature profiles due to the Utopia impacts is shown for the different scaling laws for case 2, as well as the global CMB heat flow for all scaling relations for the period of most intense bombardment (4.2–4.1 Ga).

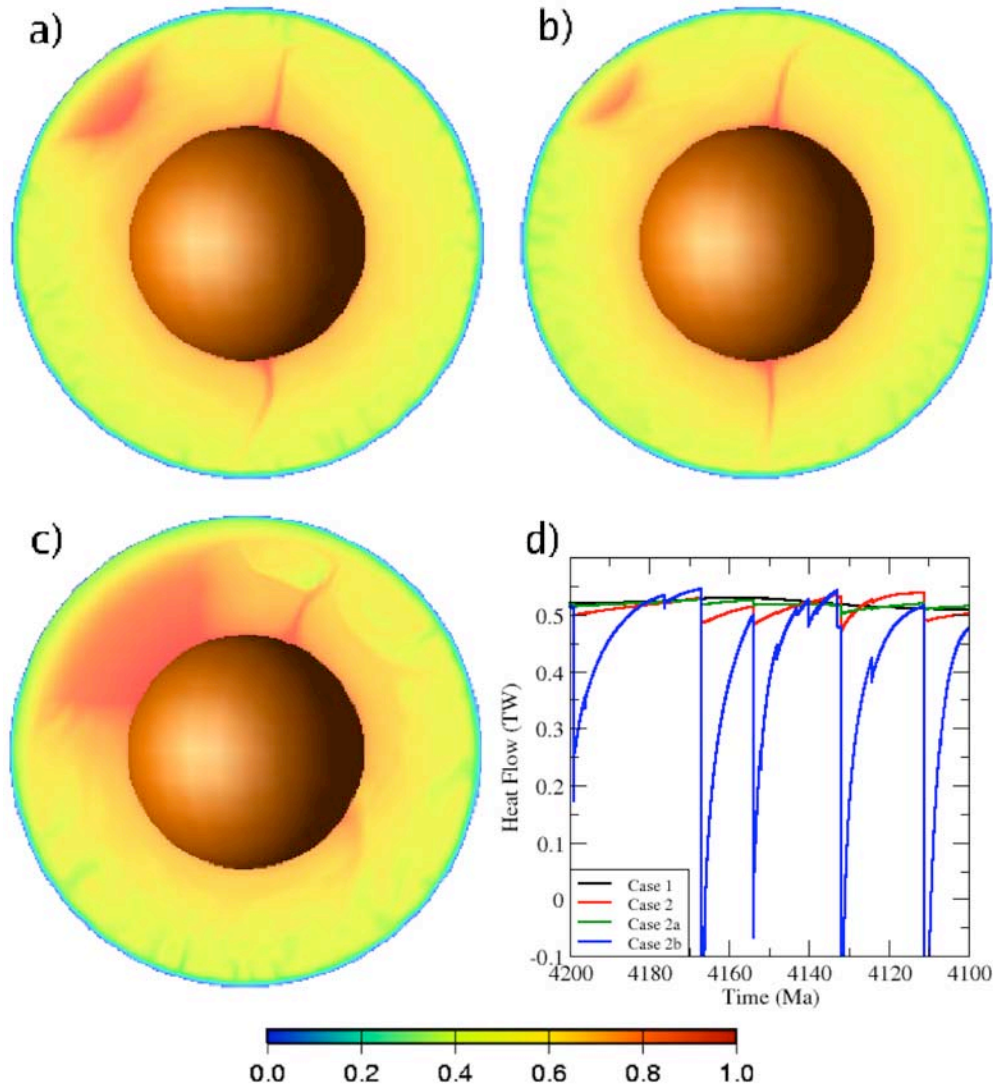
## 6. Discussion and Conclusions

[20] We find that mantle heating due to largest impacts that form basins with diameters greater than 2500 km on early

Mars can substantially reduce the CMB heat flow. This reduction in the efficiency of core cooling may have profound effects on the dynamo-driven magnetic field. The ancient global magnetic field on Mars (as on Earth) was likely generated by convection in the fluid core, although a recent study [*Arkani-Hamed*, 2009] suggests it may have been powered by tidal excitation of retrograde satellites. The vigor of core convection is largely controlled by the heat flow at the CMB. *Nimmo and Stevenson* [2000] estimate that  $\sim 0.5$  TW is required in order to sustain core convection. Once the heat flow becomes unfavorable, the magnetic field can dissipate effusively in a geologically rapid time of  $\sim 5$ – $20$  ka (calculated using arguments from *Stevenson* [2003]), which is short compared to the duration of the spikes in heat flow (Figure 2). Although the CMB heat flow tends to return to its background value postimpact within  $\sim 30$  Ma (Figure 2), the magnetic field will not necessarily recover to the original strength. Below, we present two scenarios in which giant impacts lead to the cessation of the Martian dynamo.

### 6.1. Subcritical Dynamo

[21] Recent simulations of the Martian dynamo indicate that it may have been in a subcritical regime early in



**Figure 7.** Nondimensional temperature field immediately after Utopia impact in case 2 for three different scaling laws. (a) *Holsapple* [1993]. (b) *McKinnon and Schenk* [1985]. (c) No scaling,  $D_{basin} = D_{tr}$ . (d) CMB heat flow versus time for the period of most intense bombardment for case 1 and case 2 using three different scaling laws for  $D_{basin}/D_{tr}$ .

Martian history [*Kuang et al.*, 2008]. A subcritical dynamo occurs in a fluid iron core that has insufficient thermal forcing to initiate convection and generate a magnetic field on its own, but can sustain convection in the presence of a preexisting magnetic field. When no magnetic field is present, the Coriolis force must be balanced by viscous shear, and convection is suppressed. When a magnetic field is present, the Lorentz forces counter the Coriolis deflections, reducing the critical Rayleigh number  $Ra_c$  for convection. Thus an existing magnetic field allows convection and the field itself to be sustained with weaker thermal forcing than is required to initiate such convection in the absence of such a field [*Eltayeb and Roberts*, 1970]. *Kuang et al.* [2008] parameterize the vigor of core convection in terms of the  $Ra$  of the core, and find that this subcritical regime is quite narrow. The magnetic field strength is relatively insensitive to  $Ra$  above some subcritical value,

but drops off sharply below this value. If the dynamo is in the subcritical regime, a decrease in CMB heat flow of as little as 1% can shut down the global magnetic field [*Kuang et al.*, 2008]. In order to restart the dynamo, the core dynamo must become supercritical, requiring an increase in heat flow of  $\sim 25\%$  above the minimum needed to sustain the subcritical dynamo. Thus, if the dynamo fails once, it may not return even if the original core cooling rate is restored.

[22] Utopia is the largest and the oldest demagnetized basin, and thus may have been the impact to cause the critical decrease in CMB heat flow. Why the older, comparably sized Ares or Acidalia impacts did not cause the death of the dynamo is uncertain. The time needed to dissipate the heat from each impact is greater than the interval between impacts, particularly for cases with low  $Ra$ . Another control on the core cooling rate is the initial temperature. It is



possible that Ares and Acidalia did temporarily stop the dynamo, but that the dynamo was not subcritical at the time of these impacts and was able to restart once the background cooling was restored. If the core was initially very hot [Williams and Nimmo, 2004], the secular cooling may have carried the background heat flow below some critical value by the time of the Utopia impact, and the consequent subcritical dynamo was thus susceptible to being permanently shut down by the impact heating. This scenario relies on a rather specific set of initial conditions to make the dynamo subcritical at the time of Utopia. It is likely that the dynamo would have eventually shut down on its own (as in the work of Nimmo and Stevenson [2000]), and that the impact merely hastened it somewhat. However, such restrictions on the dynamo's criticality may not be necessary. Below, we present an alternative.

## 6.2. Supercritical Dynamo

[23] We note that the magnetization strength of the five supergiant impact basins ( $D > 2500$  km) monotonically decreases with time (Figure 1b). For example, Daedalia has the strongest magnetization of the five, and Utopia has the weakest. This progression suggests an alternate scenario in which the dynamo need not be in the subcritical regime in order to be stopped by supergiant impacts.

[24] The heat flow drops seen in our models are quite significant ( $>40\%$  in some models). This is in excess of the relatively narrow range that corresponds to a subcritical dynamo. Furthermore, the giant impacts generate strong lateral variations in CMB heat flow (see Figure 3) that may disrupt the preexisting core flow pattern and stop the dynamo, even if the global CMB heat flow is still favorable to convection [Olson and Christensen, 2002]. Thus, a single supergiant impact may be able to stop a relatively weak, but still supercritical dynamo. Although core convection will be able to restart once the thermal pulse from the impact dissipates, the magnetic field may not return to the original strength. In this scenario, four supergiant impacts cause the dynamo to fail and restart, ratcheting down the magnetic field strength. Finally, the Utopia impact shuts down the severely weakened dynamo and it is never able to recover.

## 6.3. Climate Change

[25] Mineralogy and stratigraphy observed with the OMEGA instrument is consistent with a climatic shift from wet to drier, more acidic conditions (the Phyllosian-Theiikian transition) during the Noachian era [Bibring et al., 2006]. This shift happened prior to the Isidis impact [Mustard et al., 2007] and may have occurred after the dynamo cessation [Lillis et al., 2008b].

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